



VIVEK TUTORIALS

Practice Test

Std: SSC (E.M)

Subject: Mathematics II

Time: 45Min

Date : 21/Dec/2019

2 and 3

Max Marks: 20

Q.1 Choose the correct alternative answer for each of the following questions:

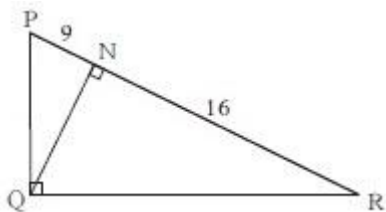
2

- 1) Show that 6, 8 and 10 form a Pythagorean triple
(a) 6^2 (b) 8^2 (c) 12^2 (d) 10^2
- 2) Out of the following which is the Pythagorean triplet?
(A) (1, 5, 10) (B) (3, 4, 5) (C) (2, 2, 2) (D) (5, 5, 2)

Q.2 Solve the following questions

2

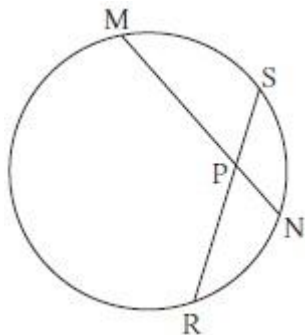
- 1) Find the length of the hypotenuse of a right angled triangle if remaining sides are 9 cm and 12 cm.
- 2) In figure below, $\angle PQR = 90^\circ$, seg $QN \perp$ seg PR , $PN = 9$, $NR = 16$. Find QN .



Q.3 Solve the following questions

4

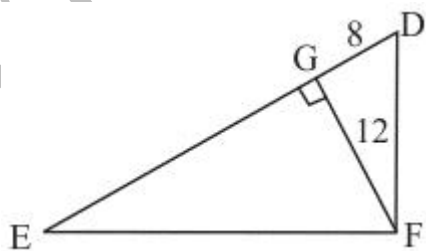
- 1) Corresponding arcs of congruent chords of a circle (or congruent circles) are congruent.
- 2) In figure below, chord MN and chord RS intersect each other at point P . If $PR = 6$, $PS = 4$, $MN = 11$ find PN .



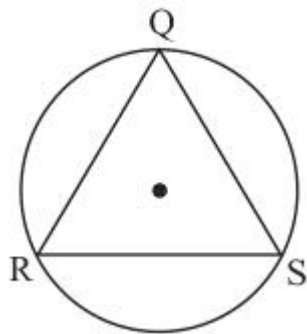
Q.4 Solve the following questions

6

- 1) In figure below, $\angle DFE = 90^\circ$, $FG \perp$ ED , If $GD = 8$, $FG = 12$, find (1) EG (2) FD and (3) EF



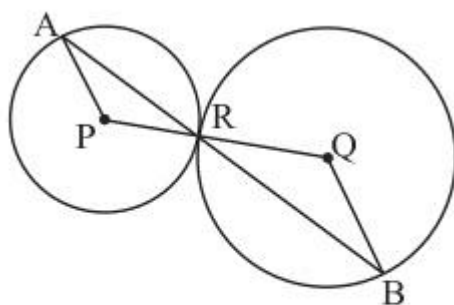
- 2) In fig below $\triangle QRS$ is an equilateral triangle. Prove that, (1) $\text{arc } RS \cong \text{arc } QS \cong \text{arc } QR$ (2) $m(\text{arc } QRS) = 240^\circ$.



Q.5 Complete the following Activities

6

- 1) In figure below, the circles with centres P and Q touch each other at R. A line passing through R meets the circles at A and B respectively. Prove that-



- (1) $\text{seg AP} \parallel \text{seg BQ}$,
- (2) $\triangle APR \sim \triangle RQB$, and
- (3) Find $\angle RQB$ if $\angle PAR = 35^\circ$

P - R - Q.

[When two circles touch each other, then point of contact lies on the line joining centres]

$\angle PRA \cong \square$

.....1 [Vertically opposite angles]

In $\triangle PRA$, $\text{seg PA} \cong \text{seg } \square$

[Radii of same circle]

$\therefore \angle PRA \cong \angle PAR$

.....2 [Isosceles triangle theorem]

In $\triangle QRB$, $\text{seg QR} \cong \text{seg QB}$

[Radii of same circle]

$\therefore \angle QRB \cong \angle QBR$

.....3

$\therefore \angle PRA \cong \angle PAR \cong \angle QRB \cong \angle QBR$

.....4 [From 2 & 3]

$\angle PAR \cong \angle QBR$ [From 4]

$\therefore \text{Seg AP} \parallel \text{seg BQ}$ [Alternate angles test]

In $\triangle APR$ and $\triangle RQB$

(1) $\angle PAR \cong \angle QRB$ [From 4]

(2) $\angle PRA \cong \angle QBR$ [From 4]

$\therefore \triangle APR \sim \triangle RQB$ [AA test]

$\angle PAR = 35^\circ$ 5 [Given]

$\angle QRB = \angle QBR = \square$ 6 [From 4 & 6]

In $\triangle QRB$,

$\angle RQB + \angle QRB + \angle QBR = 180^\circ$

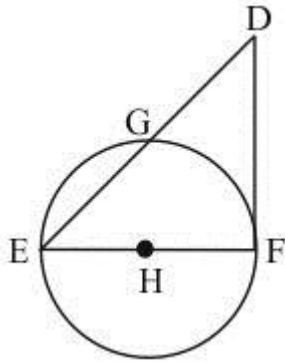
[Sum of all angles of a \triangle is 180°]

$\therefore \angle RQB + 35^\circ + 35^\circ = \square$ [From 6]

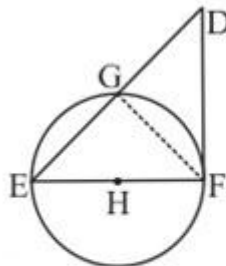
$\therefore \angle RQB = 180^\circ - 70^\circ$

$\angle RQB = \square$

- 2) In figure below, seg EF is a diameter and seg DF is a tangent segment. The radius of the circle is r.
Prove that, $DE \times GE = 4r^2$



Construction: Draw seg GF



$\angle EFD = \square$

.....1 [Tangent and radius are perpendicular at the point of contact]

$\angle EGF = 90^\circ$

.....2 [Diameter subtends a right angle on any point of circle]

In $\triangle EFD$ & $\triangle EGF$

1. $\angle EFD \cong \square$ [Each 90° , from 1 & 2]

2. $\angle FED \cong \angle GEF$ [Common angle]

$\therefore \triangle EFD \sim \triangle EGF$ \square

$\therefore \frac{DE}{FE} = \square$ [c.s.s.t.]

$\therefore DE \times GE = FE \times FE$ 3

$FE = \square$

.....4 [FE is diameter & 'r' is radius]

$\therefore DE \times GE = 2r \times 2r$

$\therefore DE \times GE = \square$

----- All the Best -----